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## Manipulating Rectangular Arrays

We present below some simple algorithms to manipulate 2-dimensional (rectangular) arrays.

### Summing the values row per row

The following code sum the values contained in a 2-dimensional array row per row, and display the result each time before moving on to the next row:

```
int[,] numbers =
{
    {1, 2, 3, 4},
    {5, 6, 7, 8}
};

int acc;
for (int row = 0; row < numbers.GetLength(0); row++)
{
    acc = 0;
    for (int col = 0; col < numbers.GetLength(1); col++)
    {
        acc += numbers[row, col];
    }
    Console.WriteLine("Total for row #" + row +
        " is " + acc + ".");
}
```

This code can easily be adapted to compute the sums *column per column* if needed.

### Computing Magic Square

A magic square<sup>1</sup> is a square matrix where the sums of the numbers in each row, each column, and both the diagonal and the anti-diagonal are the same.

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<sup>1</sup>[https://en.wikipedia.org/wiki/Magic\\_square](https://en.wikipedia.org/wiki/Magic_square)

The following is an example of a magic square:

```
int[,] magicSquare = {
    { 4, 9, 2 },
    { 3, 5, 7 },
    { 8, 1, 6 }
};
```

as we have, diagonally,

$$4 + 5 + 6 = 15$$

and anti-diagonally,

$$2 + 5 + 8 = 15$$

and on the rows,

$$4 + 9 + 2 = 15$$

$$3 + 5 + 7 = 15$$

$$8 + 1 + 6 = 15$$

and finally on the columns

$$4 + 3 + 8 = 15$$

$$9 + 5 + 1 = 15$$

$$2 + 7 + 6 = 15$$

A method to return **true** if the 2d-matrix of **int** passed as an argument is a magic square is as follows:

```
bool isMagic(int[,] arrayP)
{
    bool magicSoFar = true;
    if (arrayP.GetLength(0) == arrayP.GetLength(1))
    { // The array is a square.
        int magicConstant = 0;
        for (int i = 0; i < arrayP.GetLength(1); i++)
        {
            magicConstant += arrayP[i, i];
        }
        int testedValue = 0;
        for (int i = 0; i < arrayP.GetLength(1); i++)
        {
            testedValue += arrayP[i, arrayP.GetLength(1) -
        ↵ i - 1];
        }
    }
}
```

```

if (testedValue == magicConstant)
{// The diagonal and anti-diagonal have the same
→ sums.
// We test the rows.
for (int row = 0; row < arrayP.GetLength(0);
    → row++)
{
    testedValue = 0;
    for (int col = 0; col <
        → arrayP.GetLength(1); col++)
    {
        testedValue += arrayP[row, col];
    }

    if (testedValue != magicConstant)
    {
        magicSoFar = false;
    }
}
// We test the columns.
for (int col = 0; col < arrayP.GetLength(1);
    → col++)
{
    testedValue = 0;
    for (int row = 0; row <
        → arrayP.GetLength(0); row++)
    {
        testedValue += arrayP[row, col];
    }

    if (testedValue != magicConstant)
    {
        magicSoFar = false;
    }
}
else
{// The diagonal and anti-diagonal have different
→ same sums.
    magicSoFar = false;
}
}
else
{ // The array is not a square.
    magicSoFar = false;
}

```

```
    }

    return magicSoFar;
}
```

That code can be tested using for example this code<sup>2</sup>.

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<sup>2</sup>[https://princomp.github.io/code/snippets/magicSquare\\_test.cs](https://princomp.github.io/code/snippets/magicSquare_test.cs)